RESEARCH ARTICLE

The metabolic cost of incline locomotion in the Svalbard rock ptarmigan (Lagopus muta hyperborea): the effects of incline grade and seasonal fluctuations in body mass

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INTRODUCTION

The metabolic cost of locomotion is a major contributor to the daily energy budget of terrestrial organisms, particularly birds, and is therefore a crucial determinant of fitness (Goldstein, 1988; Goldstein and Nagy, 1985; Tolkamp et al., 2002). Much of the research in this field has focused on level locomotion. The influence moving up an inclined surface has on the metabolic cost of locomotion and the efficiency with which animals perform positive work against gravity is still not well understood. Generally speaking, existing data sets lack consistency in the use of grades, further compounded by differences between species in terms of morphology and locomotor gait. Here we investigated the metabolic cost of locomotion using respirometry in the Svalbard ptarmigan (Lagopus muta hyperborea). The Svalbard ptarmigan provides a unique opportunity to investigate the cost of incline locomotion as it undergoes a seasonal fluctuation in body mass, which doubles in winter, meaning the requirement for positive mechanical work also fluctuates with season. We demonstrate that at the same degree of incline, the cost of lifting 1 kg by 1 vertical metre remains relatively constant between seasons despite the large differences in body mass from summer to winter. These findings are consistent with the notion that positive mechanical work alone dictates the cost of lifting above a certain body mass. However, our data indicate that this cost may vary according to the degree of incline and gait.

SUMMARY

In a terrestrial environment animals must locomote over varying terrain; despite this, the majority of studies of animal locomotion focus on level locomotion. The influence moving up an inclined surface has on the metabolic cost of locomotion and the efficiency with which animals perform positive work against gravity is still not well understood. Generally speaking, existing data sets lack consistency in the use of grades, further compounded by differences between species in terms of morphology and locomotor gait. Here we investigated the metabolic cost of locomotion using respirometry in the Svalbard ptarmigan (Lagopus muta hyperborea). The Svalbard ptarmigan provides a unique opportunity to investigate the cost of incline locomotion as it undergoes a seasonal fluctuation in body mass, which doubles in winter, meaning the requirement for positive mechanical work also fluctuates with season. We demonstrate that at the same degree of incline, the cost of lifting 1 kg by 1 vertical metre remains relatively constant between seasons despite the large differences in body mass from summer to winter. These findings are consistent with the notion that positive mechanical work alone dictates the cost of lifting above a certain body mass. However, our data indicate that this cost may vary according to the degree of incline and gait.

Some indirect calorimetry studies of terrestrial organisms locomoting on level terrain have presented a general linear increase in energy consumption with speed (U) (Kram and Taylor, 1990; Roberts et al., 1998; Taylor et al., 1982; Taylor et al., 1970). However, this linear trend is not always the case, as non-linearity is commonly found for this relationship both within and between gaits (Baudinette et al., 1992; Dawson and Taylor, 1973; Hoyt and Taylor, 1981; Langman et al., 2012; Luick and White, 1986; Nudds et al., 2011; Rubenson et al., 2004). Linear regressions have, however, facilitated comparisons across species of varying body mass (Mb) and morphology. When moving on an incline, additional work must be done raising the centre of mass (CoM) against gravity, related to the Mb of the organism and its rate of ascent (Biewener, 2003), and this additional work entails a metabolic cost. However, the relative effects of slope angle, U and Mb upon the efficiency of incline locomotion are largely unresolved. Initially it was thought that the metabolic cost of lifting 1 kg by 1 vertical metre (mV) should be constant, assuming that the efficiency of muscular work is also constant regardless of Mb (Taylor et al., 1972). Smaller animals, having a relatively higher horizontal minimum cost of transport (MCOT), would therefore demonstrate increased efficiency of incline locomotion (mechanical work in lifting 1 kg by 1 mV/metallic energy in lifting 1 kg by 1 mV) than larger ones. Data from mice (Mus musculus) and chimpanzees (Pan troglodytes) running on a 15 deg incline suggested that this constant cost was approximately 15.5 J kg−1 mV−1(Taylor et al., 1972), which is perhaps surprising given the marked differences in locomotor specialisation between the species chosen for comparison. Subsequent experiments across a broad range of species, however, have shown the cost of lifting to be highly variable between species. Studies across taxa of varying Mb (from 0.8 g to over 400 kg), morphology and locomotor specialisation have yet to reveal a consistent effect of incline upon the metabolic cost of locomotion (Bamford and Maloiy, 1980; Cohen et al., 1978; Fancy and White, 1987; Full and Tullis, 1990; Raab et al., 1976; Snyder and Farley, 2011; Wickler et al., 2000; Yousef et al., 1978; Farley and Emshwiller, 1996). For example, the cost of lifting in two species of lizard, Coleonyx variegatus and Eumeces skiltonianus, of similar Mb on 50 deg inclines differed by nearly 27 J kg−1 mV−1 (Farley and Emshwiller, 1996). Both species, however, have vertical efficiencies...
greater than those of cockroaches (Periplaneta americana) with lower $M_b$ (Full and Tullis, 1990), but lower values than heavier elk (Cervus canadensis nelsoni) (Cohen et al., 1978).

The apparent lack of a correlation between $M_b$ and the overall cost of incline locomotion is compounded by mixed findings regarding the effect of differing inclination angles. For example, dogs (Canis familiaris) and guinea fowl (Numida meleagris) demonstrate decreased efficiency [calculated using the method of Taylor et al. (Taylor et al., 1972)] with increased inclination angle (Ellerby et al., 2003; Raab et al., 1976), whereas efficiency in quail (Coturnix coturnix) on grades of 4, 8 and 12 deg increases with increasing slope (Warncke et al., 1988), in common with findings in humans (Margaria, 1938). However, while kangaroos (Macropus rufus) and cockroaches incur an increased metabolic cost of locomotion on inclines, the degree of the incline has relatively little effect (Full and Tullis, 1990; Kram and Dawson, 1998).

The kinematic changes that occur with moving on different grades of incline may provide insight into the associated metabolic cost. The cost of locomotion is dictated by the force that must be generated during the stance phase to support and accelerate the CoM, coupled with the time available for generation of this force (Kram and Taylor, 1990). Given the link between the two, it is surprising that the energetics and kinematics of incline locomotion are rarely assessed in a single study or species. Data from turkeys (Meleagris gallopavo), horses (Equus caballus), humans and invertebrates on a range of incline grades and speeds reveal constancy in the duration of stance time ($l_{stance}$) (Full and Tullis, 1990; Gabaldón et al., 2008; Hoyt et al., 2000; Lay et al., 2006). These data suggest that the increased cost of incline locomotion can therefore be attributed solely to the increased positive work performed by stance phase muscles in raising the CoM (Gabaldón et al., 2004; Gottschall and Kram, 2006; Minetti et al., 1993; Roberts et al., 1997; Ruben et al., 2006). The differences between different species and the lack of an observable pattern in metabolic cost may therefore be attributable to factors influencing the efficiency with which different animals perform positive work against gravity during locomotion. These could be morphological features already thought to influence the efficiency of level locomotion, such as limb number, length and posture, as well as the differing gait characteristics used by organisms (Biewener, 1989; Nudds et al., 2009; Reilly et al., 2007). Additionally, physiological features such as muscular efficiency could influence incline performance, with the muscles of some species being ‘tuned’ towards certain locomotor strategies (Farley and Emshwiller, 1996). Such factors will vary depending on the level of locomotor specialisation of an organism to moving on level versus inclined terrain.

In order to identify what is influencing the cost of incline locomotion, it is necessary to eliminate these confounding factors. One approach has been to use geometrically similar species of differing $M_b$. Such studies have used two species of quail (Coturnix chinensis and Oreortyx pictus), rodents (Mus musculus domesticus and Rattus norvegicus) and crabs (Ocypode quadrata) of different $M_b$ and have found the cost of lifting to decrease with $M_b$ up to a critical mass of between 200 g and 1 kg, beyond which it remains constant (Snyder and Carello, 2008; Tullis and Andrus, 2011). Despite some agreement in the findings of these studies, the effects of different grades of incline or locomotor speeds upon the cost of lifting are still unclear. There is also a paucity of data and species diversity among organisms weighing less than 1 kg that have been examined.

Another approach when looking at the cost of incline locomotion is to add artificial loads to the subject and observe the metabolic consequences of increased positive work whilst walking on inclines. To date, this has only been studied in humans. Borghols et al. (Borghols et al., 1978) found no effect of loads of up to 30 kg (around 40% of $M_b$) upon the efficiency of incline walking (Borghols et al., 1978). Similarly, Goldman and Iampietro found that at a given speed and grade, adding loads of up to 30 kg had no effect on the mass-specific cost of locomotion (Goldman and Iampietro, 1962). In addition to providing insights into the relative cost of positive work during locomotion on slopes, the influence of mass gain upon the metabolic cost of incline locomotion may be relevant to species that undergo large seasonal variations in $M_b$. In particular, many avian species seasonally acquire large fat reserves to fuel migration and see them through periods of food scarcity. During such periods, energy conservation may be critical to survival; however, no data currently exists regarding the effect of the impacts of mass changes upon the cost of incline locomotion in birds.

The Svalbard rock ptarmigan (Lagopus muta hyperborea Sundevall 1845) is an ideal species in which to study the metabolic cost associated with incline locomotion. This terrestrial phasianid inhabits steep, rocky hills on the archipelago of Svalbard and is well adapted to life in the high Arctic (Lees et al., 2010; Lees et al., 2012a; Nudds et al., 2011; Stokkan, 1992). In particular, the acquisition of fat reserves in winter means that these birds experience a seasonal doubling of $M_b$, from approximately 500 g between March and August to approximately 900 g in mid-November. At this time, fat content comprises as much as 32% of $M_b$ (Grammeltvedt and Steen, 1978; Mortensen et al., 1983; Stokkan et al., 1986). It has previously been found that Svalbard ptarmigan have adaptations for locomotor efficiency in both summer (Nudds et al., 2011) and winter (Lees et al., 2010), and when young (Lees et al., 2012b); however, it is unknown how the cost of incline locomotion is affected by the dramatic seasonal changes in $M_b$. Because of their difference in mass, the work that the birds must do against gravity will differ whilst the birds are geometrically identical. Measuring the efficiency with which they perform this work and the associated kinematic parameters will therefore provide novel insights into the influence of $M_b$ upon the cost of incline locomotion. In addition, the use of multiple grades of incline will clarify the relationship between inclination angle and metabolic cost.

In light of previous findings in humans, we hypothesise that in the absence of any kinematic differences, the mass-specific cost of lifting will be dictated solely by the ability to do positive work and will remain constant during both seasons despite the variation in $M_b$.

MATERIALS AND METHODS

Animals

Adult male Svalbard rock ptarmigan were housed at the Department of Arctic and Marine Biology, University of Tromsø, Norway. These birds were previously used in research conducted by our group (Lees et al., 2010; Lees et al., 2012a; Lees et al., 2012b; Nudds et al., 2011), and when young (Lees et al., 2012b). Because of their difference in mass, the work that the birds must do against gravity will differ whilst the birds are geometrically identical. Measuring the efficiency with which they perform this work and the associated kinematic parameters will therefore provide novel insights into the influence of $M_b$ upon the cost of incline locomotion. In addition, the use of multiple grades of incline will clarify the relationship between inclination angle and metabolic cost.

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Energetics and kinematics

The rates of O₂ consumption (\(V_{\text{O2}}\); ml min⁻¹ kg⁻¹) and CO₂ production (\(V_{\text{CO2}}\); ml min⁻¹ kg⁻¹) were measured using an open-flow respirometry system. The system consisted of a Perspex box (30×26×61.7 cm) mounted onto a treadmill (Bremshey Trail Sport, Almere, The Netherlands). Air was pulled through the box at ~521 min⁻¹ during all trials. The flow was then sub-sampled into a carboy at 61 min⁻¹ and further sub-sampled at 0.115 min⁻¹ for gas analysis. Water vapour pressure (\(P_{\text{WV}}\)) and relative humidity measurements were recorded using an RH300 (Sable Systems International, Las Vegas, NV, USA). Water was then scrubbed using calcium chloride (2–6 mm granular; Merck, Darmstadt, Germany). The sample was then drawn through a Foxbox-C (Sable Systems International). CO₂ was recorded before being scrubbed using SodaLime with indicator (2–5 kg granular; Sigma-Aldrich, Steinheim, Germany), and finally O₂ was measured. Prior to calculation of rates of gas exchange, a corrected flow (\(F_c\)) was calculated from the primary flow rate (\(F_p\)) taking into account measured barometric pressure (\(P_b\)) and \(P_{\text{WV}}\) values, using Eqn 1 (eqn 8.6 in Lighton (Lighton, 2008)):

\[ F_c = \frac{F_p(1 - P_{\text{WV}})}{P_b} \]  

Ratios of gas exchange for O₂ and CO₂ were calculated using Eqs 2 and 3, respectively (Lighton, 2008)

\[ \dot{V}_{\text{O2}} = \frac{F_c(\Delta O_2)}{1 - 0.2095} \]  

\[ \dot{V}_{\text{CO2}} = \frac{F_c(\Delta CO_2) - 0.0004(\dot{V}_{\text{O2}})}{1 - 0.0004} \]

where \(\Delta O_2\) and \(\Delta CO_2\) are the differences between excurrent and background O₂ and CO₂ concentrations, respectively. The respiratory quotients (RQ) of exercising birds were then calculated as \(V_{\text{CO2}}/\dot{V}_{\text{O2}}\) and used to calculate the rate of energy metabolism (W) (Brody, 1945). These values were then used to calculate mass-specific metabolic rate (\(P_{\text{met}}\); W kg⁻¹) during locomotion at different speeds (representing the cost of locomotion). The accuracy of the respirometry setup (±2% across all treadmill speeds) was validated using a N₂ dilution test (Fedak et al., 1981), as previously described (Nudds et al., 2011; Tickle et al., 2010).

Three walking speeds were examined in the present study, as previous research over a wider range of speeds had indicated that there was a linear increase in \(P_{\text{met}}\) across the walking gait (Lees et al., 2010; Lees et al., 2012a; Lees et al., 2012b; Nudds et al., 2011). Therefore, we used representative speeds over this range of 0.22, 0.5 and 0.75 m s⁻¹ on the level and at inclines of 4.2 and 7.4 deg. These inclines represented the 6 and 12% incline settings on our treadmill (which when measured with a clinometer were 7.3 and 12.9%). Trials consisted of first placing birds into the respirometry chamber and monitoring the trace until it remained stable for at least 2 min. Birds were then run at a randomized speed until the oxygen trace plateaued (changed by no more than ±0.001% for no less than 2 min, indicating a stable value from which to determine \(\dot{V}_{\text{O2}}\). Birds were rested for 5–10 min between trials until a steady resting trace was obtained. Room temperature during all trials ranged between 18 and 20.5°C during summer trials and between 9 and 14.5°C during winter trials, which is within the seasonally appropriate thermoneutral range of the birds (Lees et al., 2010). In order to determine values of kinematic parameters, high-speed video was taken of the walking birds using a Sony Handycam HDR-XR520 (Sony, Tokyo, Japan) at a frame rate of 100 Hz. Birds were filmed from a lateral view and footfall events were quantified using tracker.exe software versions 2.6 and 3.1 (Open Source Physics, www.opensourcephysics.org) for level and incline trials, respectively. The left foot was tracked over five to ten strides during which birds were maintaining a stable treadmill position, and duty factor (DF), \(f_{\text{stride}}\), stride length (\(l_{\text{stride}}\)), stance time (\(t_{\text{stance}}\)) and swing time (\(t_{\text{swing}}\)) were calculated.

In order to calculate the efficiency of incline locomotion, it was first necessary to calculate the metabolic cost of lifting as:

\[ \frac{\text{MCoT}_\theta - \text{MCoT}_0}{\sin \theta} \]

where \(\theta\) is the inclination angle (deg) and \(\text{MCoT}_\theta\) and \(\text{MCoT}_0\) are the minimum cost of transport during incline and horizontal locomotion, respectively (kg m⁻¹). MCoT values were taken as the lowest values in a plot of total cost of transport (J kg⁻¹ m⁻¹), calculated by dividing \(P_{\text{met}}\) by \(U\) versus \(U\) (Tullis and Andrus, 2011). Efficiency could then be calculated as the mechanical work in lifting 1 kg by 1 m, divided by the metabolic cost of lifting.

Statistical analyses

Within seasons, we tested for differences in the slopes and intercepts of the regressions relating energetic and kinematic variables and \(U\) on the different inclines using analysis of covariance (ANCOVA). When slopes were found to be similar, ANCOVAs were repeated, omitting the interaction term (incline×\(U\)), and a Tukey’s post hoc test was used to establish individual differences in the intercepts of the common slopes. In order to test for differences in the MCoT, ANOVAs were performed on values at 0.75 m s⁻¹ (consistently representing the speed at which the lowest MCoT values were obtained) during horizontal and incline treatments. All means are displayed as means ± s.e.m. ANCOVAs were carried out using the statistics toolbox in MATLAB (R2007b, The MathWorks, Natick, MA, USA) and ANOVAs were conducted in SPSS (version 19.0.0, IBM, Armonk, NY, USA).

RESULTS

Energetics

Summer birds

\(P_{\text{met}}\) increased linearly with speed \(U\) (m s⁻¹) during walking on the level and on inclines of 4.2 and 7.4 deg (Fig. 1A). ANCOVA showed no difference in the slopes of these lines (representing the MCoT), indicating a uniform incremental energetic response to changes in \(U\) on differing gradients (incline×\(U\), \(r^2=0.26, r^2=0.43, r^2=0.0093; U, F_{1,5}=31.42, r^2=0.49, P=0.0025\)). A post hoc test showed that \(P_{\text{met}}\) was on average 5.3 W kg⁻¹ higher during 4.2 deg than on the level (95% CI=[1.95, 8.6]) and 3.4 W kg⁻¹ higher at 7.4 deg (95% CI=[0.11, 6.76]). Intercepts of 4.2 and 7.4 deg were not significantly different from each other (mean difference=1.84 W kg⁻¹, 95% CI=[−1.49, 5.17]). Together, these data indicate that although \(P_{\text{met}}\) was elevated during graded walking, this elevated value was independent of the degree of incline.

Winter birds

As in summer birds, \(P_{\text{met}}\) increased linearly with \(U\) during level, 4.2 and 7.4 deg treatments in winter birds (Fig. 1B). Again there...
was no significant difference in the slope of this relationship with differing inclines (ANCOVA; incline×U, F_{2,3}=0.13, r^{2}=0.0011, P=0.88). The intercepts of the parallel lines obtained from the ANCOVA were different (incline, F_{3,5}=137.32, r^{2}=0.74, P<0.001; U, F_{1,5}=92.93, r^{2}=0.25, P<0.001). A post hoc test showed \( P_{\text{met}} \) to be 5.8 W kg\(^{-1}\) (95% CI=[4.26, 7.26]) and 7.3 W kg\(^{-1}\) (95% CI=[5.75, 8.75]) higher at 4.2 and 7.4 deg, respectively, than on the level. The effects of the two inclines were not significantly different (mean difference=1.5 W kg\(^{-1}\), 95% CI=[−2.99, 0.014]).

### Seasonal comparison

The mean relative increase in \( P_{\text{met}} \) across all speeds at an incline of 4.2 deg was 5.28±0.38 W kg\(^{-1}\) during summer and 5.76±0.25 W kg\(^{-1}\) during winter (see supplementary material Table S1). This increase was not significantly different between seasons (independent samples t-test; \( t=−1.06, \) d.f.=4, \( P=0.347 \)). At an incline of 7.4 deg, this relative increase in \( P_{\text{met}} \) was 3.44±1.26 W kg\(^{-1}\) during summer and 7.25±0.1 W kg\(^{-1}\) during winter. These values were not different between seasons (independent samples t-test; \( t=−3.03, \) d.f.=2.03, \( P=0.093 \)).

### The cost of lifting

It has previously been found that winter birds exhibit a reduced metabolic cost of locomotion (Lees et al., 2010). As a result, absolute values of \( P_{\text{met}} \) cannot be used for comparison between the seasons. However, this problem can be overcome by comparing birds based on their cost of lifting, as this parameter represents the cost of walking on an incline relative to the cost of level locomotion. Traditionally, differences in the slopes of the regression lines relating metabolic cost and \( U \) (representing the MCoT) are used to calculate the cost of lifting (Eqn 4). As a result of the lack of a difference in these slopes upon the different treatments, MCoT values were instead obtained by plotting the total cost of transport \( (P_{\text{met}}/U) \) against \( U \) under the various treatments (Fig. 2). During summer, the average total MCoT was not significantly different from MCoT\(_{\text{h}}\) on inclines of 4.2 or 7.4 deg (ANOVA; incline, F_{2,15}=2.95, P=0.09; Fig. 2A). Using these values to calculate the cost of lifting (Tullis and Andrus, 2011) gave a cost of 103.1 and 48.9 J kg\(^{-1}\) m\(^{-1}\) on inclines of 4.2 and 7.4 deg, respectively, representing efficiencies of 9.5 and 20.1%. During winter, MCoT\(_{\text{h}}\) was significantly affected by incline (ANOVA; incline, F_{2,15}=8.06, P<0.01 Fig. 2B): a post hoc test showed MCoT to be 8 J kg\(^{-1}\) m\(^{-1}\) (95% CI=[0.63, 15.26]) and 10 J kg\(^{-1}\) m\(^{-1}\) (95% CI=[2.6, 17.23]) higher on inclines of 4.2 and 7.4 deg, respectively. The cost of lifting was calculated as 108.5 and 77 J kg\(^{-1}\) m\(^{-1}\) at 4.2 and 7.4 deg, representing efficiencies of 9 and 12.7%, respectively.

### Kinematics

#### Summer birds

DF decreased linearly with \( U \) under all treatments, and the slope of this relationship was not significantly affected by treatment (ANCOVA; incline×U, F=0.75, r^2<0.01, P=0.55; Fig. 3A). In a

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**Fig. 1.** Mass-specific metabolic power consumption \( (P_{\text{met}}) \) in Svalbard ptarmigan plotted against walking speed \( (U) \) on the level (closed triangles, solid lines) and at inclines of 4.2 deg (closed squares, dashed lines) and 7.4 deg (closed circles, dotted and dashed lines). During both summer (A) and winter (B), \( P_{\text{met}} \) was elevated when walking on an incline; however, the effects of 4.2 and 7.4 deg inclines were not significantly different.

**Fig. 2.** Total cost of transport in Svalbard ptarmigan plotted against walking speed \( (U) \) on the level (closed triangles, solid lines) and at inclines of 4.2 deg (closed squares, dashed lines) and 7.4 deg (closed circles, dotted and dashed lines) during the summer (A) and winter (B). The minimum cost of transport, used to calculate the cost of lifting, occurred at the highest speed (0.75 m s\(^{-1}\)) in all cases.
simplified ANCOVA comparing intercepts based upon their common slope (−0.3). DF was not significantly affected by incline (incline, $F_{2,5}=5.48$, $r^2=0.054$, $P=0.055$; $U$, $F_{1,5}=184.88$, $r^2=0.92$, $P<0.001$).

$I_{\text{stride}}$ increased linearly with $U$ with a common slope (0.33) under all treatments (ANCOVA; incline×$U$, $F_{2,3}=3.026$, $r^2<0.01$, $P=0.19$; Fig. 3B). Parallel lines based upon this common slope did not differ in their intercepts (ANCOVA; incline, $F_{2,5}=2.51$, $r^2=0.013$, $P=0.18$; $U$, $F_{1,5}=369.74$, $r^2=0.97$, $P<0.001$).

$I_{\text{stride}}$ increased linearly with $U$ under all treatments (level and incline) and the slope of this relationship was independent of incline (ANCOVA; incline×$U$, $F_{2,3}=1.006$, $r^2=0.016$, $P=0.46$; Fig. 3C). $I_{\text{stride}}$ was not significantly elevated during any of the treatments when comparing intercepts based upon these common slopes (1.67) (ANCOVA; incline, $F_{2,5}=1.4$, $r^2=0.023$, $P=0.33$; $U$, $F_{1,5}=114.74$, $r^2=0.94$, $P<0.001$).

$I_{\text{swing}}$ remained constant across $U$ and this relationship was not significantly affected by incline (ANCOVA; incline×$U$, $F_{2,3}=0.54$, $r^2=0.021$, $P=0.63$). The intercepts of the lines based upon their common slope (0.019) were significantly different (ANCOVA; incline, $F_{2,5}=25.48$, $r^2=0.84$, $P<0.01$; $U$, $F_{1,5}=4.74$, $r^2=0.077$, $P=0.081$). Tukey’s post hoc tests revealed that $I_{\text{swing}}$ was elevated at inclines of both 4.2deg (mean difference=0.031, 95% CI=[0.016, 0.046]) and 7.4 deg (mean difference=0.026, 95% CI=[0.011, 0.041]).

$I_{\text{stance}}$ decreased curvilinearly with $U$ and was unaffected by treatment. The inverse of this contact time ($1/I_{\text{stance}}$) increased linearly with $U$ and the slope of this relationship was not significantly affected by incline (ANCOVA; incline×$U$, $F_{2,3}=0.6$, $r^2<0.01$, $P=0.6$; Fig. 3D). Comparing the intercepts of the common slopes (3.51) showed no significant effect of incline (ANCOVA; incline, $F_{2,5}=0.11$, $r^2<0.001$, $P=0.9$; $U$, $F_{1,5}=378.73$, $r^2=0.99$, $P<0.001$).

Together, these data indicate that during the summer, with the exception of small elevations in the duration of the swing phase, there was no significant effect of incline upon the relationships between the kinematic parameters measured and $U$.

Winter birds
DF decreased linearly with $U$ in winter birds with a common slope (−0.23) among gradients (ANCOVA; incline×$U$, $F_{2,3}=4.03$, $r^2=0.057$, $P=0.14$; Fig. 3A). Comparing the intercepts of these common slopes revealed no effect of incline upon DF (ANCOVA; incline, $F_{2,5}=0.42$, $r^2=0.013$, $P=0.68$; $U$, $F_{1,5}=58.63$, $r^2=0.91$, $P<0.001$).

$I_{\text{stride}}$ increased linearly with $U$ both on the level and on inclines with a common slope (0.28) (ANCOVA; incline×$U$, $F_{2,3}=4.23$, $r^2<0.01$, $P=0.13$; Fig. 3B). Comparing the intercepts of these common slopes revealed no effect of treatment (ANCOVA; incline, $F_{2,5}=1.58$, $r^2<0.01$, $P=0.29$; $U$, $F_{1,5}=1062.4$, $r^2=0.99$, $P<0.001$).

$I_{\text{stride}}$ increased linearly with $U$ with the same slope regardless of incline treatment (ANCOVA; incline×$U$, $F_{2,3}=0.402$, $r^2<0.01$, $P=0.7$; Fig. 3C). A simplified ANCOVA comparing the intercepts based on this common slope (1.96) found no effect of incline upon $I_{\text{stride}}$ (incline, $F_{2,5}=0.42$, $r^2<0.01$, $P=0.68$; $U$, $F_{1,5}=171.25$, $r^2=0.97$, $P<0.001$).
The present data are the first to reveal the cost associated with incline locomotion in a single species exhibiting large natural seasonal $M_b$ fluctuations. In agreement with our initial hypothesis, the relative increase in $P_{mv}$ as a result of incline locomotion was similar between both seasons, despite winter birds exhibiting a 300 g (60%) increase in $M_b$. The cost of lifting data yielded slightly different results. At a 4.2° incline, winter birds demonstrate a 5.41 kg$^{-1}$m$^{-1}$ higher cost of lifting than during the summer and a 28.1 kg$^{-1}$m$^{-1}$ increase at an incline of 7.4° (Fig. 4). Such values are large compared with those in humans on similar gradients, which show no difference in the cost of lifting with artificial loads of up to 57% of $M_b$ (Borghols et al., 1978; Haismann, 1988). It must be noted, however, that comparisons with human data are difficult as a result of non-linearity in the relationship between energy consumption and $U$. The observed differences in the cost of lifting are in fact small in comparison to those found in geometrically similar species of different mass. For example, button and mountain quail differing in $M_b$ by 168 g exhibited a 45.1 kg$^{-1}$m$^{-1}$ difference in the cost of lifting on a 10° incline, with the smaller species entailing the larger cost (Snyder and Carello, 2008). Similarly, our largest difference of 28.1 kg$^{-1}$m$^{-1}$ is within the variation found within single species as a result of changing grade. An avian example is that of quail, which undergo a 42.1 kg$^{-1}$m$^{-1}$ reduction in the cost of lifting when moving from a 4° to an 8° incline. Such findings are in keeping with current theories that the cost of lifting (within the same degree of incline and at the $M_b$ range used) is in fact constant, regardless of $M_b$ and therefore solely as a result of the positive work that must be performed in raising the CoM against gravity (Snyder and Carello, 2008; Taylor et al., 1972; Tullis and Andrus, 2011). Any differences observed in this cost are therefore a result of differences in the efficiency with which this work is performed. In ptarmigan, it appears that despite a large gain in $M_b$, winter birds are able to perform this work as efficiently as during summer. However, even our lowest value for the cost of lifting of 48.9 kg$^{-1}$m$^{-1}$ is higher than previously predicted values of 15.5 kg$^{-1}$m$^{-1}$ (Taylor et al., 1972) and 27.3 kg$^{-1}$m$^{-1}$ (Cohen et al., 1978; Snyder and Carello, 2008), and is apparently high in comparison with much of the existing data set shown in Fig. 4. It seems unlikely that Svalbard ptarmigan are inefficient at incline locomotion compared with the species used to obtain these values given the predominantly sloping terrain that these birds inhabit. An alternative explanation may lie in methodological differences in calculating the cost of lifting. The only other study to use measured MCOT values to calculate the cost of lifting also found a higher value (59.4 kg$^{-1}$m$^{-1}$) than those previously reported (Tullis and Andrus, 2011). The authors also found that reprocessing the data from the literature and determining the cost of lifting from actual MCOT values gave more similar results to those found presently. Indeed, our values of between 48.9 and 108.5 kg$^{-1}$m$^{-1}$ are in keeping with their calculated average of 103 kg$^{-1}$m$^{-1}$ for vertebrates.

During the winter, Svalbard ptarmigan demonstrate a reduced cost of locomotion (Lees et al., 2010). One of the suggested mechanisms for this was improved elastic storage in the tendons. However, the present data suggest that elastic storage and recovery are unlikely to be a mechanism by which winter birds economically carry their increased mass. Indeed, if improved elastic savings contribute to this reduced cost during winter, we may have expected to observe improved incline efficiency in winter birds (assuming elastic mechanisms operate on moderate inclines) (Snyder et al., 2012). The current findings also preclude the possibility of improved efficiency of muscular work as an explanation of the increased winter economy of locomotion, as this appears constant during both seasons. However, the findings do suggest that, at least at low grades of incline, it may be more economical for ptarmigan to walk up relatively steeper slopes to achieve a given vertical distance. Whether this influences their behaviour in the wild is yet to be ascertained.

When attempting to examine the scaling relationship between the cost of incline locomotion and $M_b$, data are often taken from a broad range of incline grades (2 to >90°) (Clapperton, 1964; Full and Tullis, 1990). Using data from different grades assumes a consistent relationship between the level of incline and the associated
metabolic cost across species of differing size, geometry and gait. In reality, however, this is not the case, as illustrated in Fig. 4. In the present study, despite exhibiting a similar efficiency at the same incline treatments, birds demonstrated improved efficiency with increasing incline in both seasons. Improved efficiency at higher inclines has also been demonstrated in quail, which show a near doubling of efficiency with a doubling of slope (Warncke et al., 1988). Amongst non-avian bipeds, humans have also demonstrated improved efficiency of walking up to an incline of approximately 11 deg (the point at which positive work alone contributes to metabolic cost) (Margaria, 1938; Margaria, 1976). In contrast, guinea fowl have reduced efficiency with increasing incline (Ellerby et al., 2003), as do storks on inclines of 5 to 9 deg, but not 11 deg (Bamford and Maloiy, 1980). The nature of this relationship among quadrupeds is also unclear. Efficiency has been shown to increase (Raab et al., 1976; Wunder and Morrison, 1974), decrease (White and Yousef, 1978) and remain unchanged (Cohen et al., 1978; Kram and Dawson, 1998) with increases in grade. Many other studies of incline locomotion only use single grades, further hampering any comparisons that can be made. Furthermore, those that do test multiple inclines are often not comparable due to the differences in the grades used between studies. This is possibly due to limitations imposed by restricted incline grades on treadmills or inaccuracies in the reading of slope, as was found in the present study. These factors preclude the establishment of a general relationship, as the efficiency of locomotion appears to vary with grade and species. This may be particularly problematic if, as has been found in humans, efficiency is most variable at the lowest incline grades (less than 11 deg) that are almost exclusively used for comparisons (Margaria, 1938) or if extreme grades are used for comparison (Full and Tullis, 1990). Clearly, expansion of the data set is needed to resolve the nature of this relationship and care must be taken when formulating scaling relationships using data from differing incline treatments.

The mechanisms underlying the improved efficiency of walking at higher inclines in the ptarmigan and some other species are unclear. In the present study the answer appears to lie in the fact that $P_{\text{met}}$ undergoes a step increase upon incline walking that doesn’t change between 4.2 and 7.4 deg. The result is a reduced cost of lifting with incline grade and therefore increased efficiency with slope. The cost of terrestrial locomotion is linked to the time available to generate force during stance in addition to factors influencing the efficiency of force generation, such as the dynamics of muscular contraction and the mechanical advantage of the muscles as a result of posture (Kram and Taylor, 1990). Presently, in agreement with previous data, no differences in $f_{\text{stance}}$ were found, suggesting that these alternative factors may explain the observed pattern of cost on different incline grades. During level locomotion in birds, force is primarily generated by economical, isometric contractions of the stance-phase muscles in order to support and accelerate the body during stance (Daley and Biewener, 2003; Gabaldón et al., 2004; Roberts et al., 1997). During incline locomotion, however, there is an increase in positive work to lift the CoM (Gabaldón et al., 2004; Roberts et al., 1997). This increase is met through modulations in the contractile behaviour of the proximal and distal stance muscles, primarily towards shortening contractions, which are metabolically more costly. Significant differences in the underlying contractile behaviour of leg muscles has been demonstrated in turkeys, which, despite exhibiting no change in $f_{\text{stance}}$ on inclines of 6 and 12 deg, show significant differences in the underlying contractile behaviour of their leg muscles, linked to the requirement of net positive work and increased muscle strain (Gabaldón et al., 2004; Gabaldón et al., 2008; Roberts et al., 2007; Roberts et al., 1997). Such inefficient shortening contractions required three times the volume of muscle to generate the same amount of force as on the level (Roberts et al., 1997). Similar findings have been observed in guinea fowl, which exhibit significant increases in blood flow (and therefore energy consumption) to stance-phase muscles during incline running (Rubenson et al., 2006). In the present study, it is possible that the changes in muscle contractility and recruitment that occur upon the transition to walking on an incline of 4.2 deg entail a significant metabolic cost. This cost may, however, be large compared with the additional cost of positive work when moving from an incline of 4.2 deg to one of 7.4 deg. Such an observation may explain the present finding that $P_{\text{met}}$ is not significantly different when comparing the two incline treatments tested. In addition to the elevated incline cost imposed by changes in muscle contractile behaviour, there may be a reduction in the force-generating capacity of the locomotor muscles as a result of altered limb posture (Higham and Biewener, 2008). Such changes have been observed in a number of quadrupedal species (Carlson-Kuhta et al., 1998; Lammers et al., 2006; Lee, 2011; Viletsky et al., 1994). Although posture was not quantified in the present study, the intercepts of the lines relating $P_{\text{met}}$ to $U$ have been postulated to represent a ‘postural cost’ separate from the cost of moving and that of resting metabolism. If this is the case, then the finding that our $P_{\text{met}}$ regressions share a common, elevated intercept on both inclines in both seasons may suggest an elevated postural cost, which is unaffected by the level of incline. This, in turn, may also contribute to the apparent step change in the cost of incline locomotion, which is independent of grade at the inclines tested. Indeed, more crouched postures have been shown to be associated with incline locomotion in both quadrupeds (Carlson-Kuhta et al., 1998) and bipeds (Daley and Biewener, 2003; Lay et al., 2006; Leroux et al., 2002), and may be associated with an increased metabolic cost as a result of less efficient force generation (McMahon et al., 1987).

The common incremental response of $P_{\text{met}}$ to changing $U$ regardless of treatment highlights a complication regarding the methodology used in the calculation of the cost of lifting. This will affect calculations of the efficiency of incline locomotion, commonly used in comparisons between species. Many previous studies have calculated the cost of lifting as the difference between the horizontal and incline regressions of $\dot{V}_{\text{O}_2}$ and $U$ (Armstrong et al., 1983; Bamford and Maloiy, 1980; Cohen et al., 1978; Raab et al., 1976; Snyder and Carello, 2008; Wunder and Morrison, 1974). This method, however, relies on a difference between the regression slopes. In the present study, in common with findings in mice, crabs, quail and more recently geese, the MCoT did not differ upon incline locomotion in either season (Nudds and Card, 2012; Taylor et al., 1972; Tullis and Andrus, 2011; Warncke et al., 1988). Applying the traditional approach to such data would therefore reveal no additional cost of lifting despite absolute energy expenditure values clearly being higher during incline locomotion. A more appropriate approach therefore seems to be to test for differences between actual MCoT values derived from the respirometry data. In doing so with the ptarmigan data, we find differences in the efficiency of incline locomotion that are not revealed by the slope of $P_{\text{met}}$ versus $U$ regression data. The reasons for the observed differences in the relationship between $P_{\text{met}}$ and $U$ on different inclines compared with those in previous studies, however, are unclear.

One explanation could be in the differing speed ranges reported by authors. An increase in the MCoT with incline is expected only if efficiency (mechanical work/energy expended) is constant with
changes in $U$ (Nudds and Codd, 2012). However, this condition may not be a reality and could be affected by the changing mechanics and energetics associated with increasing $U$. In the present study, only walking speeds were used. Many studies looking at the relationship between metabolic cost and $U$ on differing inclines have, however, included data spanning walking, ground-running and running speeds, although there is little reason to assume that this relationship is unaffected by gait. Non-linearity in the relationship between metabolic cost and $U$ has been demonstrated in a number of species including birds and humans and is associated with changes in the biomechanics of locomotion during different gaits (Baudinette et al., 1992; Hoyt and Taylor, 1981; Margaria et al., 1963; Nudds et al., 2011; Rubenson et al., 2004). Walking, for example, is associated with pendular biomechanics, in which the kinetic energy of forward motion ($E_{kb}$) and the sum of the potential and vertical kinetic energies ($E_{p} + E_{kv}$) of the CoM are out of phase (Cavagna et al., 1977; Cavagna et al., 1976). Conversely, during running the mechanical energies of the CoM are in phase and spring-like mechanics dominate (Biewener, 2006; Farley et al., 1993). In addition, different gaits may be marked by abrupt changes in kinematic parameters such as $f_{side}$ and contact time, known to affect the cost of locomotion (Gatesy and Biewener, 1991; Heglund and Taylor, 1988). The variation observed in different species as a result of different locomotor specializations in terms of footfall, posture, joint kinematics and even functional separation between the fore- and hind-limbs (Carlson-Kuhta et al., 1998; Full and Tullis, 1990; Gabilondo et al., 2008; Hoyt et al., 2000; Lammers et al., 2006; Lee, 2011; Vilensky et al., 1994) could have a significant influence upon the energetic cost of incline locomotion both within and between gait. This has been demonstrated in sheep, for example, in which the cost of lifting is independent of incline grade but is higher during low-speed gaits (Clapperton, 1964). Pooling of the data across gaits would have resulted in an inaccurate value for the cost of lifting which masked a more complex underlying pattern. Similar findings have been demonstrated in humans, although the curvilinear nature of metabolic cost during walking makes comparison with avian data problematic (Margaria et al., 1963). In the only avian studies to use solely walking gait, quail on inclines of 4, 8 and 12 deg shared a common slope and geese on inclines of 7 deg showed no difference in $M_{CoT}$ compared with that on level ground (Nudds and Codd, 2012; Warncke et al., 1988). The results of both studies are in agreement with our findings, highlighting the importance of gait when measuring the energetic cost of locomotion.

In summary, Svalbard ptarmigan demonstrate a similar efficiency of lifting during the summer and winter while walking at inclines of 4.2 and 7.4 deg. This is despite large differences in $M_{b}$, which suggests that the cost of lifting is largely dictated by the increased positive work required to lift the CoM during graded walking. However, the efficiency with which individuals perform this work is not proportional to the degree of incline and efficiency increases with grade during both seasons. Clearly, investigations into the cost of incline locomotion should combine energetic and kinematic measurements and consider the potential impacts of gait and degree of incline upon the metabolic cost of locomotion.

**LIST OF SYMBOLS AND ABBREVIATIONS**

- $f_{side}$: stride frequency
- $l_{side}$: stride length
- $M_{b}$: body mass
- $M_{CoTs}$: minimum cost of horizontal transport
- $M_{CoTin}$: minimum cost of transport on an incline
- $m$: vertical metre
- $P_{B}$: barometric pressure
- $P_{met}$: metabolic power consumption
- $P_{WV}$: water vapour pressure
- $RQ$: respiratory quotient
- $t_{stance}$: stance duration
- $t_{swing}$: swing duration
- $V_{CO2}$: carbon dioxide production
- $V_{O2}$: oxygen consumption
- $\theta$: inclination angle

**ACKNOWLEDGEMENTS**

We would like to thank the technicians (Magnus Folkow, Hans Lian, Hans-Arne Solvang and John Ness) at the Department of Arctic and Marine Biology, Tromsø, for assistance with experiments and animal husbandry throughout this project. We would also like to thank Anne-Marit Vik for training the birds prior to experimentation.

**AUTHOR CONTRIBUTIONS**

J.L. conducted the study and interpreted the findings, and drafted and revised the article. K.A.S. and L.F. were involved in execution of the study, and drafting and revising the article. J.C. was involved in conception, design and execution of the study, interpretation of the findings, and revising the article.

**COMPETING INTERESTS**

No competing interests declared.

**FUNDING**

The Biotechnology and Biological Sciences Research Council (grant G01138/1) funded this research, and J.J.L. was supported by a Natural Environment Research Council doctoral training award PhD stipend.

**REFERENCES**


Cost of incline locomotion: 1363
Table S1. Relative increase in $P_{\text{met}}$ (W kg$^{-1}$), the cost of transport (J kg$^{-1}$ m$^{-1}$), the cost of lifting (J kg$^{-1}$ m$^{-1}$) and % efficiency during incline locomotion at 0.22, 0.5 and 0.75 m s$^{-1}$ and at inclines of 4.2 and 7.4 deg.

<table>
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<tr>
<th>Season</th>
<th>Body mass (g)</th>
<th>N</th>
<th>Incline (deg)</th>
<th>Speed (m s$^{-1}$)</th>
<th>$P_{\text{met}}$ increase over level (W kg$^{-1}$)</th>
<th>Cost of transport (J kg$^{-1}$ m$^{-1}$)</th>
<th>Cost of lifting (J kg$^{-1}$ m$^{-1}$)</th>
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Values marked with an * indicate those that are significantly different from values obtained for level locomotion.